# INTRODUCTION TO AI STRIPS PLANNING

.. and Applications to Video-games!

## Course overview

- Lecture 1: Game-inspired competitions for AI research,
   AI decision making for non-player characters in games
- Lecture 2: STRIPS planning, state-space search
- Lecture 3: Planning Domain Definition Language (PDDL),
   using an award winning planner to solve Sokoban
- Lecture 4: Planning graphs, domain independent heuristics for STRIPS planning
- Lecture 5: Employing STRIPS planning in games:
   SimpleFPS, iThinkUnity3D, SmartWorkersRTS
- □ Lecture 6: Planning beyond STRIPS

## Goal Oriented Action Planning (GOAP)

- Video Games:
  - Finite State Machines
  - Decision Diagrams
  - Behavior Trees
  - Goal Oriented Action Planning



- Academic AI on agents:
  - Knowledge representation, First-order logic,
     Classical planning, Planning with preferences, ...
  - Belief-Desire-Intention architecture, Agent-based programming, ...
  - Probabilistic reasoning, Bayesian networks,
     Utility theory, Markov Decision Processes, ...



## Goal Oriented Action Planning (GOAP)

Search for a plan that achieves the goal in the current state

Move into room

Preconditions: Door open

Effects: In room

Move to door

Preconditions: -

Effects: At door

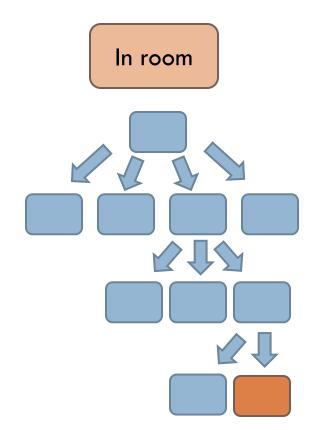
Unlock door Preconditions: Hold key

Effects: Door open

Kick door

Preconditions: -

Effects: Door open



## Goal Oriented Action Planning (GOAP)

Search for a plan that achieves the goal in the current state

There is a standard formalism for representing such problems in Al literature and a large body of work!

 Video-games: The best strategy is to use the existing formalism and take advantage of the work in the literature

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- □ Lecture 6: Planning beyond STRIPS

- Typical description of a planning problem:
  - Initial state
  - Goal
  - Available actions
- Typical solution of a planning problem:
  - A sequence of actions that when executed in the initial state results in a state that satisfies the goal condition.
- Planning: The automatic discovery of such solutions

Let's start with a simple example...

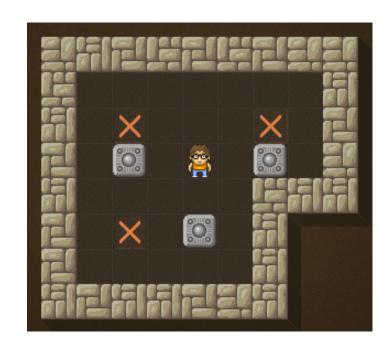
- □ Given:
  - Initial state





- □ Given:
  - Initial state

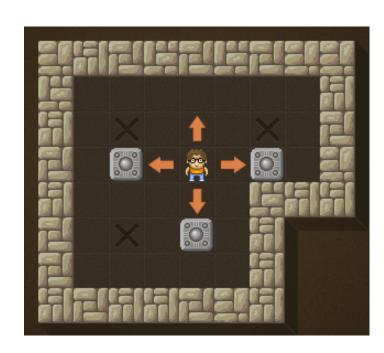
Goal



- □ Given:
  - Initial state

- Goal
- Available actions





- □ Given:
  - Initial state

- Goal
- Available actions



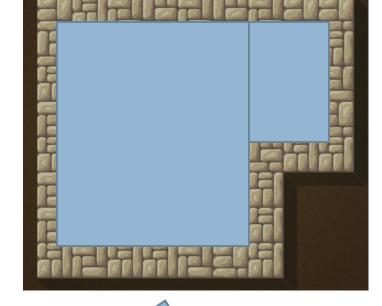




- A sequence of actions that achieves the goal
- **□** E.g.: [Left, Down, Left, Up, ...]

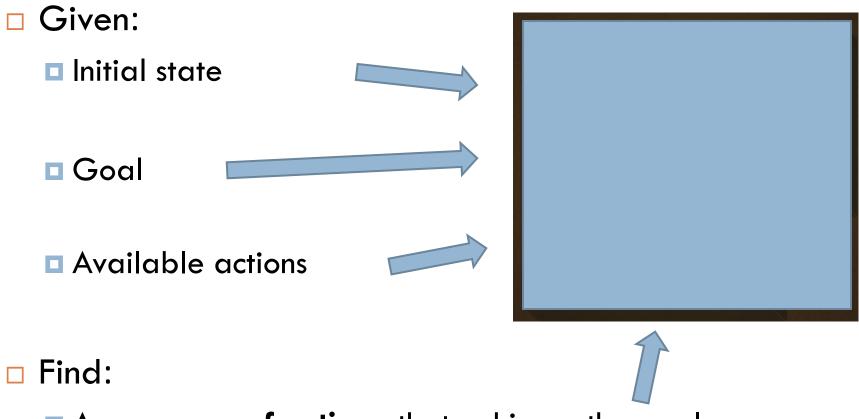
# Given:Initial stateGoal

Available actions



#### □ Find:

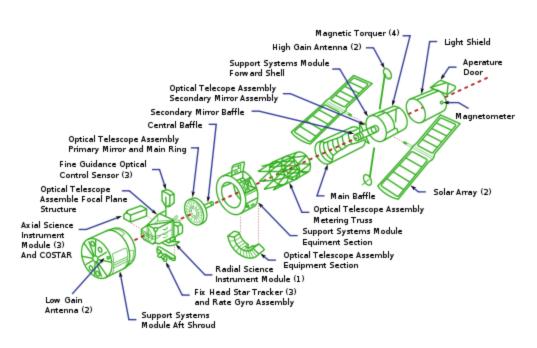
- A sequence of actions that achieves the goal
- A method that is capable of finding a solution for every initial state and goal



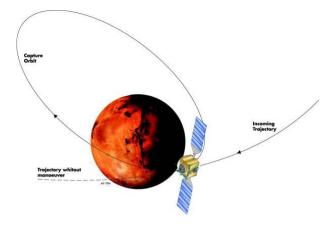
- A sequence of actions that achieves the goal
- A method that is capable of finding a solution for every application domain

# Use of planning in real applications

- Scheduling
- Hubble Space Telescope







## Use of planning in real applications

 KIVA Robots: robots make inventory isles move instead of workers





youtube link

## Use of planning in real applications

- Autonomous agents with planning capabilities for specifying the behavior (Intelligent Agents/ Cognitive Robots)
- UAV DARPA Grand/Urban Challenge, Honda
   ASIMO





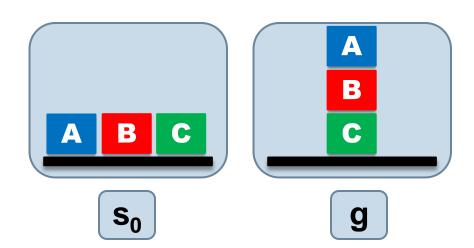
- Typical description of a planning problem:
  - Initial state

- Goal
- Available actions

Blocks world domain

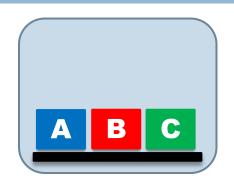
 $\square$  Initial state:  $S_0$ 

□ Goal: **g** 



- Available actions: moving a block
  - from the table to the top of another block
  - from the top of another block to the table
  - from the top of one block to the top of another block

- Initial state
  - Representation of the properties of the domain using first order logic literals
- Blocks world
  - □ On(b,x):
    - block b is on top of x, where x is another block or the table
  - □ Clear(x):
    - a block can be placed on top of x



On(A,Table) On(B,Table) On(C,Table)

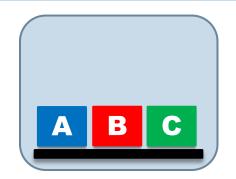
Clear(A)

Clear(B)

Clear(C)



- Initial state
  - Representation of the properties of the domain using first order logic literals
  - Ground and function-free
  - Completely specified based on a closed-world assumption



On(A,Table)
On(B,Table)
On(C,Table)
Clear(A)
Clear(B)
Clear(C)

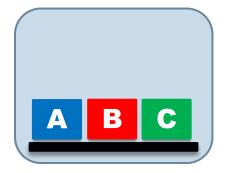


- Initial state
  - Closed-world assumption
  - Any literal not mentioned in the description of the state are assumed to be false!

 $\neg On(A,A)$  $\neg On(A,B)$  $\neg On(A,C)$  $\neg On(B,A)$  $\neg On(B,B)$  $\neg On(B,C)$  $\neg On(C,A)$  $\neg On(C,B)$  $\neg On(C,C)$  $\neg On(A,A)$  $\neg On(A,B)$  $\neg On(A,C)$  $\neg On(Table,A)$  $\neg On(Table,B)$  $\neg On(Table,C)$ 

¬On(Table, Table)

¬Clear(Table)

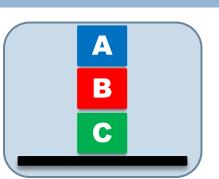


On(A,Table)
On(B,Table)
On(C,Table)
Clear(A)
Clear(B)
Clear(C)



- □ Goal
  - Representation of the properties of the domain using first order logic literals
  - Ground and function-free
  - Partially specified (no closed-world assumption)

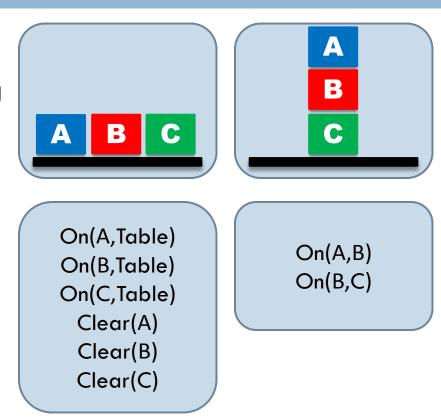
A state **s** satisfies goal **g** if it contains all literals in **g** (more literals may be in **s**)



On(A,B) On(B,C)

g

- The initial state and goal condition are described using first-order logic literals:
  - ground
  - function-free
  - positive
- \*(the list of literals typically forms a logical conjunction)



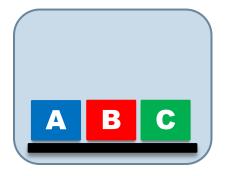
S<sub>0</sub>

g

Available actions

#### Move:

- from the table to the top of another block
- from the top of another block to the table
- from the top of one block to the top of another block



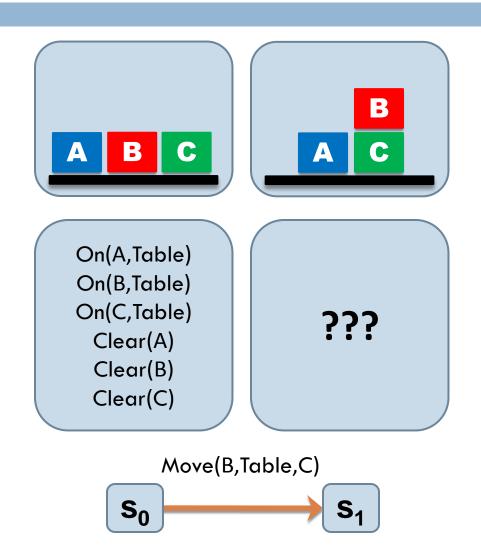
On(A,Table)
On(B,Table)
On(C,Table)
Clear(A)
Clear(B)
Clear(C)



Available actions

#### Move:

- from the table to the top of another block
- from the top of another block to the table
- from the top of one block to the top of another block

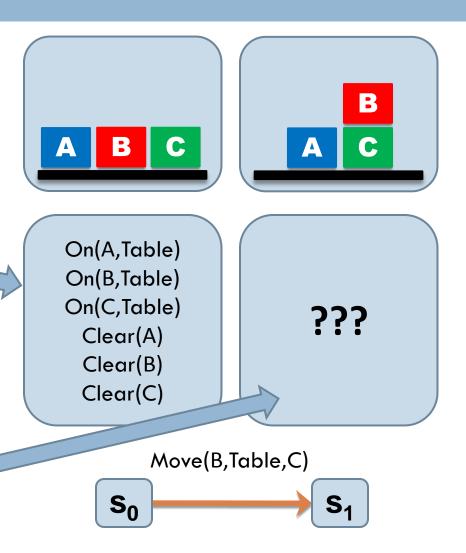


Available actions

## Move(b,x,y)

 Preconditions: literals denoting what needs to be in the state for the action to be applicable

Effects: literals denoting how the state is transformed when the action is applied.



 $\blacksquare$   $\neg$ Clear(y)

Available actions B Move(b,x,y) Preconditions: On(b,x) Clear(b) On(A,Table) On(B,Table) Clear(y) On(C,Table) **333** Clear(A) Effects: Clear(B) Clear(C) On(b,y) Clear(x) Move(B,Table,C)  $\blacksquare$   $\neg$  On(b,x) S<sub>0</sub>

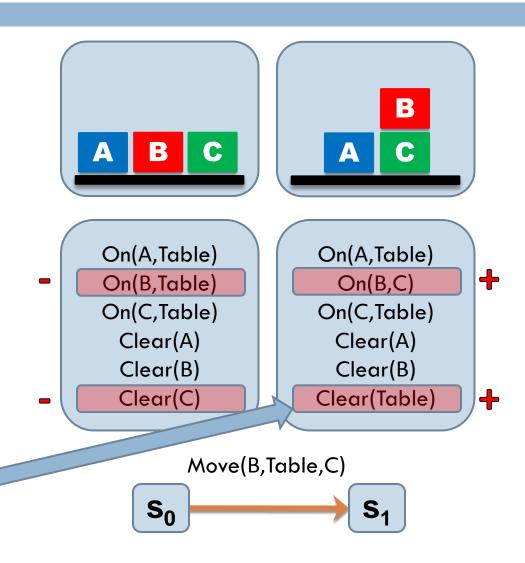
¬Clear(C)

 Available actions B Move(B,Table,C) Preconditions: OK! = On(B,Table)OK! Clear(B) On(A,Table) On(B,Table) OK! Clear(C) On(C,Table) **333** Clear(A) **Effects:** Clear(B) Clear(C) On(B,C) Clear(Table) Move(B,Table,C)  $\blacksquare$   $\neg$  On(B,Table) S<sub>0</sub>

Available actions

### Move(B,Table,C)

- Preconditions:
  - On(B,Table)
  - Clear(B)
  - Clear(C)
- Effects:
- **+** On(B,C)
- + Clear(Table)
- □ ¬ On(B,Table)
- **-** □ ¬Clear(C)



Available actions B 333 Move(b,x,y) Preconditions: On(b,x) Clear(b) On(A,Table) On(B,C)Clear(y) On(C,Table) **333** Clear(A) Effects: Clear(B) Clear(Table) On(b,y) Clear(x) Move(C,Table,A)  $\blacksquare$   $\neg$  On(b,x) S<sub>1</sub>  $\blacksquare$   $\neg$ Clear(y)

¬Clear(A)

 Available actions B Move(C,Table,A) **???** Preconditions: OK! On(C,Table) X Clear(C) On(A,Table) On(B,C)OK! Clear(A) On(C,Table) **333** Clear(A) Effects: Clear(B) Clear(Table) On(C,A) Clear(Table) Move(C,Table,A) ■ ¬ On(C,Table) S<sub>1</sub>

Available actions

### Move(A,Table,B)

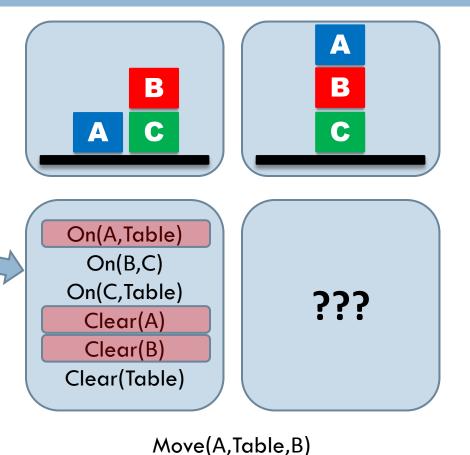
Preconditions:

OK! On(A,Table)

OK! Clear(A)

OK! Clear(B)

- Effects:
  - On(A,B)
  - Clear(Table)
  - $\blacksquare$   $\neg$  On(A,Table)
  - ¬Clear(B)

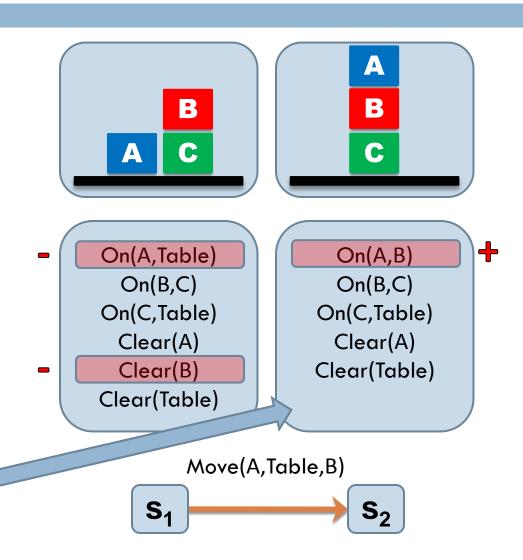


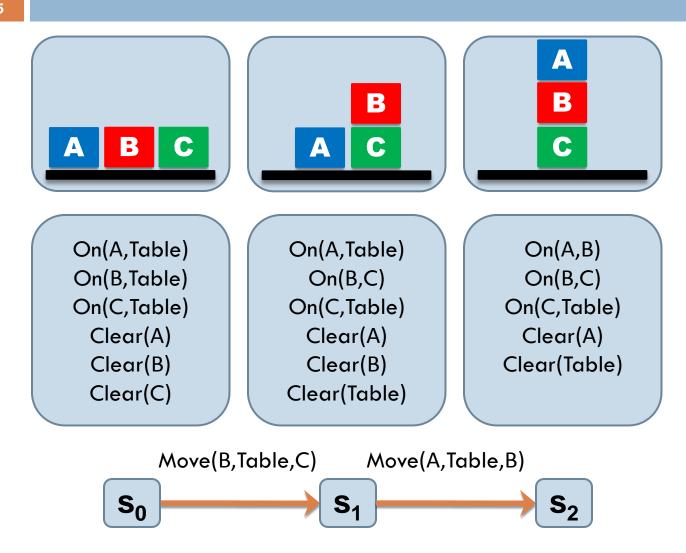
S<sub>1</sub>

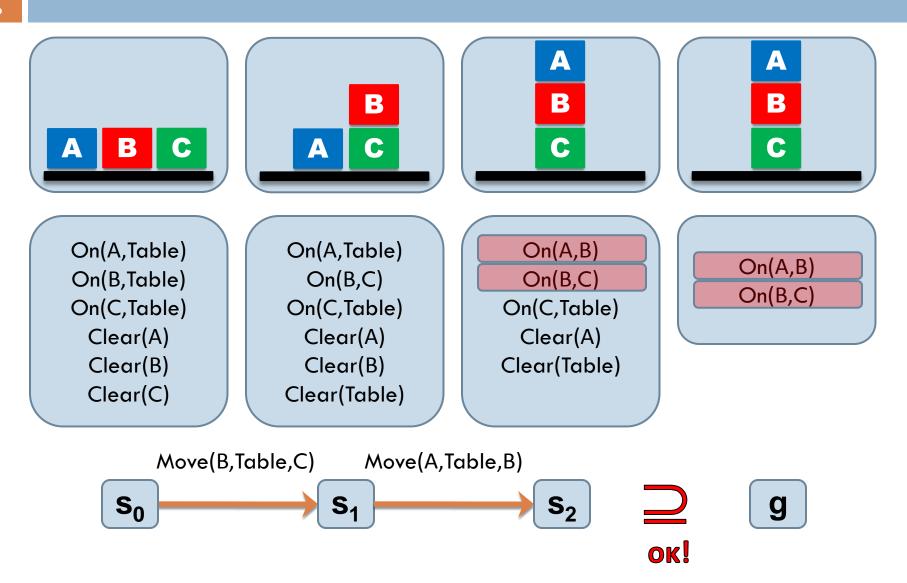
Available actions

### Move(A,Table,B)

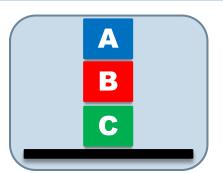
- Preconditions:
  - On(A,Table)
  - Clear(A)
  - Clear(B)
- Effects:
- **+** On(A,B)
- + Clear(Table)
- ¬ On(A,Table)
- **- - Clear(B)**



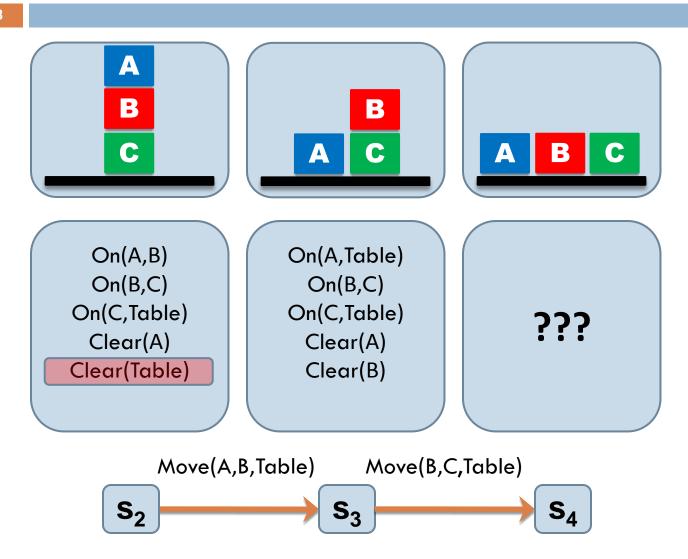




- Is our STRIPS representation of the blocks world correct?
- Consider moving back blocks A
   and B back to the table

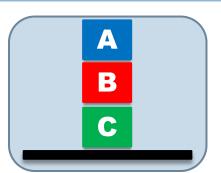


On(A,B)
On(B,C)
On(C,Table)
Clear(A)
Clear(Table)



- Is our STRIPS representation of the blocks world correct?
- Consider moving back blocks A
   and B back to the table

- Clear(Table) needs to be treated differently
  - Move(b,x,y)
  - MoveToTable(b,x)



On(A,B)
On(B,C)
On(C,Table)
Clear(A)
Clear(Table)

```
Init( On(A,Table) \land On(B,Table) \land On(C,Table)
        \land Clear(A) \land Clear(B) \land Clear(C) )
\Box Goal(On(A,B) \land On(B,C))
Action (Move(b,x,y),
        PRECONDITIONS: On(b,x) \land Clear(b) \land Clear(y)
        EFFECTS: On(b,y) \land Clear(x) \land \negOn(b,x)
         \land \neg Clear(y)
  Action( MoveToTable(b,x),
        PRECONDITIONS: On(b,x) \wedge Clear(b)
        EFFECTS: On(b,Table) \land Clear(x) \land \negOn(b,x) )
```

! Variables that appear in preconditions and effects need to be parameters of the action schema

Action( MoveToTable(b,x), PRECONDITIONS: On(b,x) ∧ Clear(b) EFFECTS: On(b,Table, ∧ Clear(x) ∧ ¬On(b,x) )

! Variables that appear in preconditions and effects need to be parameters of the action schema

```
    Action( Move(b,x,y),
        PRECONDITIONS: On(b,x) ∧ Clear(b) ∧ Clear(y)
        EFFECTS: On(b,y) ∧ Clear(x) ∧ ¬On(b,x)
        ∧ ¬Clear(y) )
    Action( MoveToTable(b,x),
        PRECONDITIONS: On(b,x) ∧ Clear(b)
        EFFECTS: On(b,Table) ✓ Clear(x) ∧ ¬On(b,x) )
```

! Variables that appear in preconditions and effects need to be parameters of the action schema

```
Action( Move(b,x,y),
PRECONDITIONS: On(b,x) ∧ Clear(b) ∧ Clear(y)
EFFECTS: On(b,y) ∧ Clear(x) ∧ ¬On(b,x)
∧ ¬Clear(y)
```

□ Action( MoveroTable(b,x), PRECONDITIONS: On(b,x) ∧ Clear(b) EFFECTS: On(b,Table) ∧ Clear(x) ∧ ¬On(b,x) )

```
Init( On(A,Table) \land On(B,Table) \land On(C,Table)
        \land Clear(A) \land Clear(B) \land Clear(C) )
\Box Goal(On(A,B) \land On(B,C))
Action (Move(b,x,y),
        PRECONDITIONS: On(b,x) \land Clear(b) \land Clear(y)
        EFFECTS: On(b,y) \land Clear(x) \land \negOn(b,x)
         \land \neg Clear(y)
Action( MoveToTable(b,x),
        PRECONDITIONS: On(b,x) \wedge Clear(b)
        EFFECTS: On(b,Table) \land Clear(x) \land \negOn(b,x) )
```

! Simplified STRIPS version of Figure 11.4 in AIMA 2<sup>nd</sup> Ed.

Gripper domain

```
    Init( On-Table(A) ∧ On-Table(B) ∧ On-table(C)
    ∧ Clear(A) ∧ Clear(B) ∧ Clear(C) ∧ Grip-Empty )
    Goal( On(A,B) ∧ On(B,C) )
```

- Action( Pick-up(x), ...)
- Action( Put-down(x), ... )
- Action( Stack(top,below), ...)
- Action( Unstack(top,below), ...)

- Reasoning about action and change
- Since 1971 that STRIPS planning was proposed by R. E.
   Fikes and N. J. Nilsson, more expressive planning formalisms have been developed based on STRIPS!
  - ADL allows open worlds, conditional effects, quantifiers[Pednault 1988]
- Situation calculus [McCarthy, Hayes 1969] [Reiter 2001] is based on first-order logic allowing rich representations
  - Action languages A, Fluent calculus, Event calculus, ...

## Bibliography

#### Material

Artificial Intelligence: A Modern Approach 2nd Ed. Stuart Russell, Peter Norvig. Prentice Hall, 2003 Section 11.1

#### References

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   E. P. D. Pednault. Computational Intelligence, Vol. 4, No. 3. 1988.
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- Knowledge in Action: Logical Foundations for Specifying and Implementing Dynamical Systems. Raymond Reiter. MIT Press, 2001.