

Composition: the "Roman" Approach Composition via Simulation

Simulation



A binary relation R is a simulation iff:

```
(s,t) \in R implies that
- s is final implies that t is final
- for all actions a
• if s \rightarrow_a s' then \exists t' . t \rightarrow_a t' and (s',t') \in R
```

- A state s_0 of transition system S is **simulated by** a state t_0 of transition system T iff there **exists** a **simulation** between the initial states s_0 and t_0 .
- Notably
 - **simulated-by** is a simulation
 - simulated-by is the largest simulation

Note it is a co-inductive definition!

NB: A simulation is just one of the two directions of a bisimulation

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Computing Simulation on Finite Transition Systems



Algorithm ComputingSimulation

Input: transition system $TS_S = \langle A, S, S^0, \delta_S, F_S \rangle$ and transition system $TS_T = \langle A, T, T^0, \delta_T, F_T \rangle$

Output: the **simulated-by** relation (the largest simulation)

Body

```
\label{eq:resolvent} \begin{split} R &= S \times T \\ R' &= S \times T - \{(s,t) \mid s \in F_S \wedge \neg (t \in F_T)\} \\ \text{while } (R \neq R') \, \{ \\ R &:= R' \\ R' &:= R' - \{(s,t) \mid \exists \, s' \, , a. \, s \to_a s' \, \wedge \neg \exists \, t' \, . \, t \to_a t' \, \wedge (s' \, , t') \in R' \, \} \\ \text{return } R' \end{split}
```

Ydob

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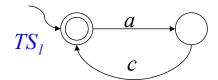
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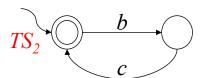
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Potential Behavior of the Whole Community

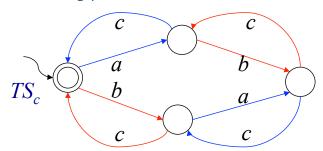


- The potential behavior of the whole community is obtained by executing concurrently all TSs allowing for all possible interleaving (no synchronization).
- Available services:





Resulting potential behavior described as a transition system TS_c



 TS_c can be computed as

the asynchronous product of TS₁ and TS₂

Asynchronous Product of TSs (Community TS)



To compute the potential behavior of the community called Community TS we simply apply the asynchronous product

Let TS_1 , ..., TS_n be the TSs of the component services. The **asynchronous product** of TS_1 , ..., TS_n , is defined as: $TS_c = \langle A, S_c, S_c^0, \delta_c, F_c \rangle$ where:

- A is the set of actions
- $S_c = S_1 \times \cdots \times S_n$
- $S_c^0 = \{(s_1^0, \dots, s_n^0)\}$
- $F \subseteq F_1 \times \cdots \times F_n$
- $\delta_c \subseteq S_c \times A \times S_c$ is defined as follows:

$$(s_{\scriptscriptstyle 1},\,\cdots\!,\,s_{\scriptscriptstyle n})\rightarrow_{\scriptscriptstyle a} (s'_{\scriptscriptstyle 1},\,\cdots\!,\,s'_{\scriptscriptstyle n})$$
 iff

- 1. \exists i. $s_i \rightarrow_a s'_i \in \delta_i$
- 2. $\forall j \neq i. s'_j = s_j$

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Composition via Simulation



- Thm[IJFCS08]
 - A composition realizing a target service TS TS_t exists if there **exists** a simulation relation between the initial state s_t^0 of TS_t and the initial state $(\mathsf{s}_1^0, ..., \mathsf{s}_n^0)$ of the community TS TS_c .
- Notice if we take the union of all simulation relations then we get the largest simulation relation S, still satisfying the above condition.
- Corollary[IJFCS08]

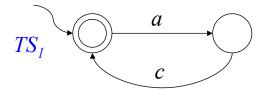
A composition realizing a target service TS TS_t exists iff $(\mathsf{s}_\mathsf{t}^0\,,\,(\mathsf{s}_\mathsf{1}^0,\,..,\,\mathsf{s}_\mathsf{n}^0)) \in \mathbf{S}$.

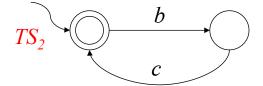
- Thm[IJFCS08]
 - Computing the largest simulation **S** is polynomial in the size of the target service TS and the size of the community TS...
- ... hence it is **EXPTIME** in the size of the available services.

Example of Composition

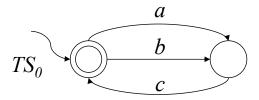


Available Services





Target Service



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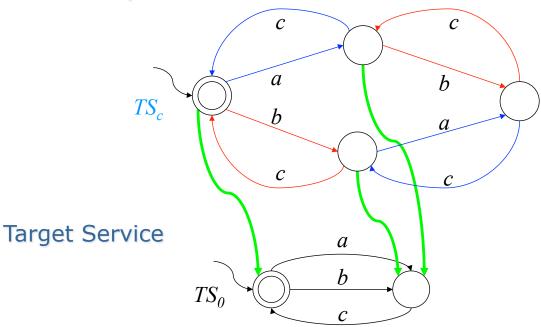
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7

Example of Composition



Community TS



Composition exists!

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Orchestrator Generator



- Given the largest simulation ${\bf S}$ form ${\rm TS_t}$ to ${\rm TS_c}$ (which include the initial states), we can build the **orchestrator generator**.
- This is an orchestrator program that can change its behavior reacting to the information acquired at run-time.
- Def: OG = $< A, [1,...,n], S_r, s_r^0, \omega_r, \delta_r, F_r > with$
 - A: the actions shared by the community
 - [1,...,n]: the **identifiers** of the available services in the community

 - $S_r = S_t \times S_1 \times \cdots \times S_n$: the **states** of the orchestrator program $s_r^0 = (s_t^0, s_1^0, \dots, s_m^0)$: the **initial state** of the orchestrator program
 - $F_r \subseteq \{ (s_t^-, s_1^-, ..., s_n^-) \mid s_t \in F_t : \text{the } \text{final states} \text{ of the orchestrator program }$
 - $\omega_r: S_r \times A_r \to [1,...,n]$: the **service selection function**, defined as follows:

 $\omega_r(t, s_1,...,s_n, a) = \{i \mid TS_t \text{ and } TS_i \text{ can do } a \text{ and remain in } S\}$

i.e., ...= {i |
$$s_t \rightarrow_{a_i} s'_t \land \exists s'_i$$
 . $s_i \rightarrow_{a_i} s'_i \land (s'_t, (s_1, ..., s'_i, ..., s_n)) \in \textbf{S}$ }

 $\delta_r\subseteq S_r\times A_r\times [1,...,n]\to S_r: \text{the ${\bf state transition function}$, defined as follows: } \text{Let $k\in\omega_r(s_t,\,s_1\,,\,...,\,s_k\,,\,...,\,s_n\,,\,a)$ then}$ $(s_t, s_1, ..., s_k, ..., s_n) \rightarrow_{a,k} (s_t, s_1, ..., s_k, ..., s_n)$ where $s_k \rightarrow_{a,} s_k'$

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10

Orchestrator Generator



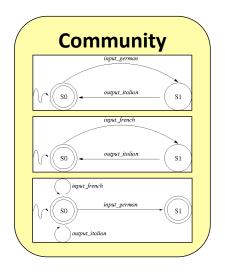
- For generating OG we need only to compute **S** and then apply the template above
- For running an orchestrator from the OG we need to store and access **S** (polynomial time, exponential space) ...
- ... and compute ω_r and δ_r at each step (polynomial time and space)

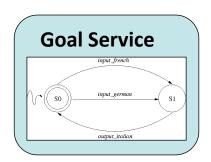
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Example of composition via simulation (1)



- A Community of services over a shared alphabet A
- A (Virtual) Goal service over A





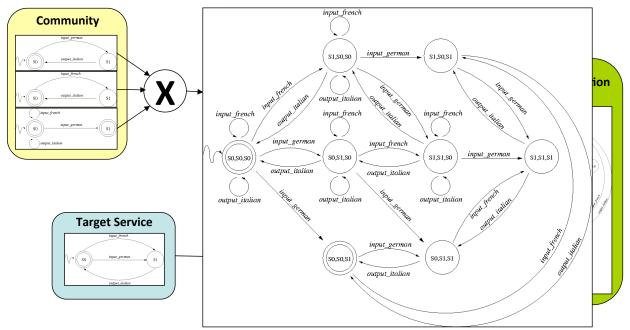
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11

Example of composition via simulation (2)

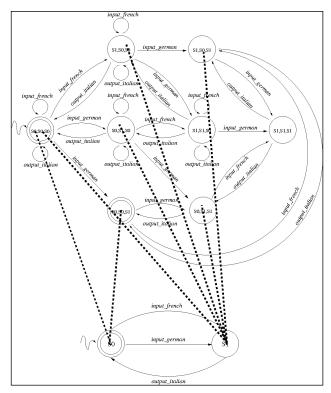




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Example of composition via simulation (3)





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Example of composition via simulation (4)



